

## Scalable Parallel Building Blocks for Custom Data Analysis

Tom Peterka, Rob Ross (ANL) Attila Gyulassy, Valerio Pascucci (SCI) Wes Kendall (UTK) Han-Wei Shen, Teng-Yok Lee, Abon Chaudhuri (OSU)

Morse-Smale Complex of combustion in the presence of a cross flow

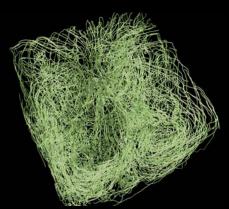
Tom Peterka

tpeterka@mcs.anl.gov

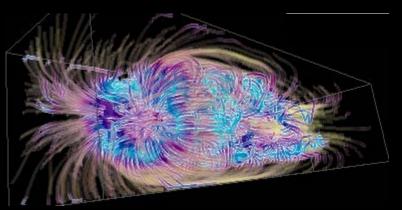
Mathematics and Computer Science Division

LDAV'II Symposium 10/24/11

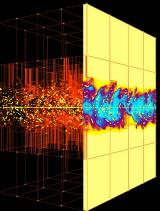
## Survey of Science and Analysis Applications



Particle tracing of thermal hydraulics flow



Information entropy analysis of astrophysics



Morse-Smale complex of hydrodynamics and combustion

- -No two analyses are alike
- -Analysis at scale is data-movement bound
- -Data movement operations are common among different analyses

## **Executive Summary**

DIY helps the user parallelize their analysis algorithm with data movement tools.

### High-level motivations and assumptions

-Large-scale analysis (visual and numerical) in parallel on distributed-memory HPC machines

-Scientists, visualization researchers, tool builders

In situ, coprocessing, postprocessing
Parallelizing from scratch is arduous
Scalable data movement is key
The user is the expert and may already have serial code for the analysis.

A common set of operations can be identified and encoded in a library -Decompose the domain -Assign subdomains to processors -Access data and store results -Combine local and global operations -Balance load, minimize communication -Overlap communication with computation -Scale efficiently

#### **Benefits**

-Researchers can focus on their own work, not on building parallel infrastructure

- -Analysis applications can be custom
- -Reuse core components and algorithms for performance and programmer productivity

## **DIY** Structure

#### Features

Parallel I/O to/from storage

-MPI-IO, BIL

Domain decomposition

-Decompose domain

-Describe existing decomposition

Network communication

-Global reduction (2 flavors)

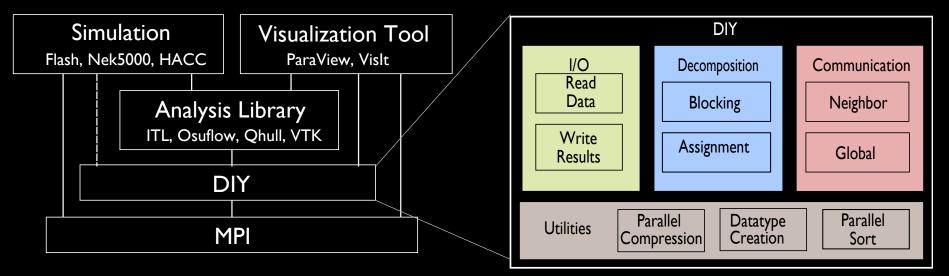
-Local nearest neighbor

#### Library structure

Written in C++

C bindings

Future Fortran bindings



DIY usage and library organization

### Data Model

#### Features

-All input data and output analysis data is represented as MPI data types

-MPI data types can represent any C/C++/Fortran language structure

-User does not serialize / deserialize types prior to use

-Zero copy at application level saves time and space

-Custom MPI data types are an advanced topic

-DIY assists in MPI data type creation

#### C data structure

#### DIY MPI data type

struct Particle {
 float[4] pt;
 int steps;
};

MPI\_Datatype type; struct map\_block\_t map[] = { {MPI\_FLOAT, OFST, 4, offsetof(struct Particle, pt), I}, {MPI\_INT, OFST, I, offsetof(struct Particle, steps), I}, }; DIY\_Create\_datatype(0, 2, map, &type);

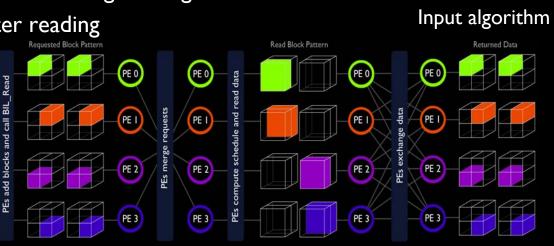
# I/O: Parallel Reading Data and Writing Analysis Results

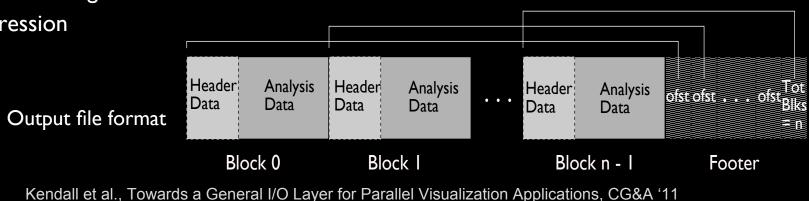
### Data input

- -Application-level two-phase I/O
- -Reads raw, netCDF, HDF5 (future)
- -Read requests sorted and aggregated into large contiguous accesses
- -Data redistributed to processes after reading
- -Single and multi block/file domains.

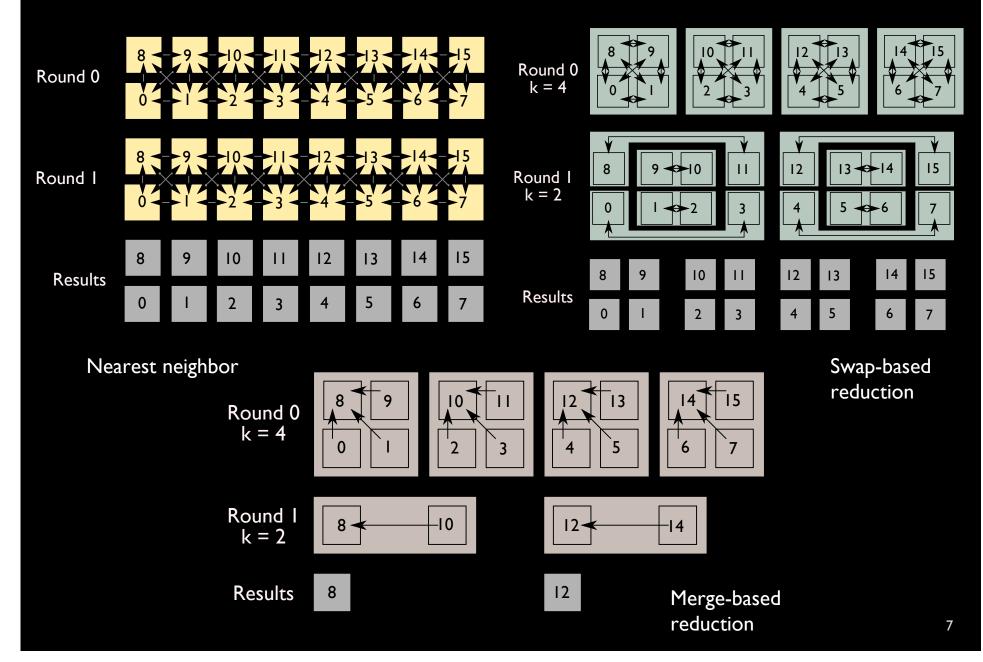
### Analysis output

- -Binary
- -General header/data blocks
- -Footer with indices
- -Application assigns semantic value to DIY blocks
- -Compression





## **3** Communication Patterns



## Example API Use

#### // initialize

int dim = 3; // number of dimensions in the problem int tot\_blocks = 8; // total number of blocks int data\_size[3] = {10, 10, 10}; // data size MPI\_Init(&argc, &argv); // init MPI before DIY DIY\_Init(dim, ROUND\_ROBIN\_ORDER, tot\_blocks, &nblocks, data\_size, MPI\_COMM\_WORLD);

#### // decompose domain

int share\_face = 0; // whether adjoining blocks share the same face int ghost = 0; // besides sharing a face, whether additional layers of ghost cells are needed int ghost\_dir = 0; // ghost cells apply to all or particular sides of a block int given[3] = {0, 0, 0}; // constraints on blocking (none) DIY\_Decompose(share\_face, ghost, ghost\_dir, given);

#### // read data

```
for (int i = 0; i < nblocks; i++) {
```

```
DIY_Block_starts_sizes(i, min, size);
```

```
DIY_Read_add_block_raw(min, size, infile, MPI_INT, (void**)&(data[i]));
```

```
}
```

```
DIY_Read_blocks_all();
```

## Example API Continued

// your own local analysis

// merge results, in this example
// could be any combination / repetition of the three communication patterns
int rounds = 2; // two rounds of merging
int kvalues[2] = {4, 2}; // k-way merging, eg 4-way followed by 2-way merge
int nb\_merged; // number of output merged blocks
DIY\_Merge\_blocks(in\_blocks, hdrs, num\_in\_blocks, out\_blocks, num\_rounds, k\_values,
&MergeFunc, &CreateItemFunc, &DeleteItemFunc, &CreateTypeFunc, &num\_out\_blocks);

// write results
DIY\_Write\_open\_all(outfile);
DIY\_Write\_blocks\_all(out\_blocks, num\_out\_blocks, datatype);
DIY\_Write\_close\_all();

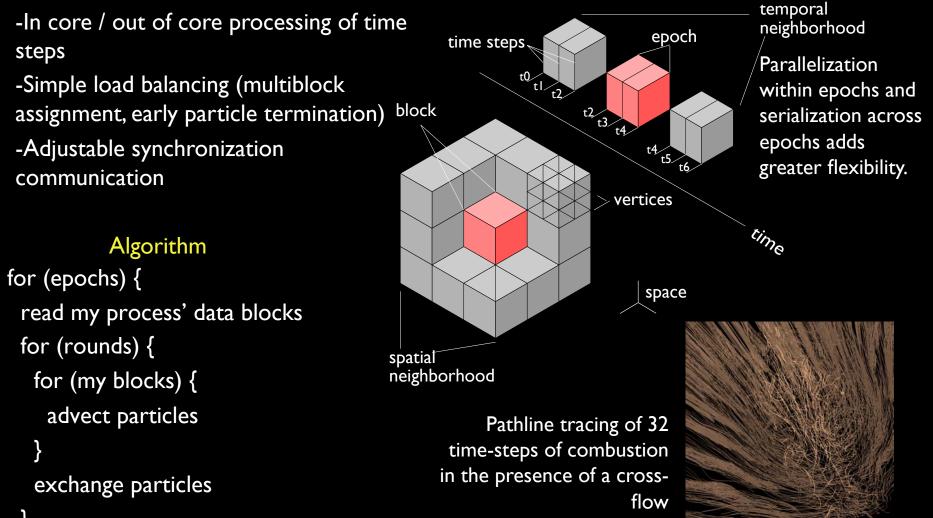
#### // terminate

DIY\_Finalize(); // finalize DIY before MPI MPI\_Finalize();

# Parallel Time-Varying Flow Analysis

Collaboration with the Ohio State University and University of Tennessee Knoxville

### Approach



## Parallel Information-Theoretic Analysis

Collaboration with the Ohio State University and New York University Polytechnic Institute

### Objective

-Decide what data are the most essential for analysis

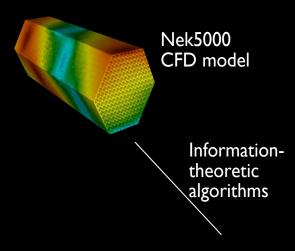
-Minimize the information losses and maximize the quality of analysis

-Steer the analysis of data based on information saliency

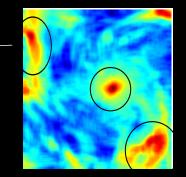
### Information-theoretic approach

-Quantify Information content based on Shannon's entropy

-Use this model to design new analysis data structures and algorithms



Areas of high information entropy--turbulent regions in original data--are the interesting regions in simulating coolant flow in a nuclear reactor.



Section of information entropy field

#### Shannon's Entropy

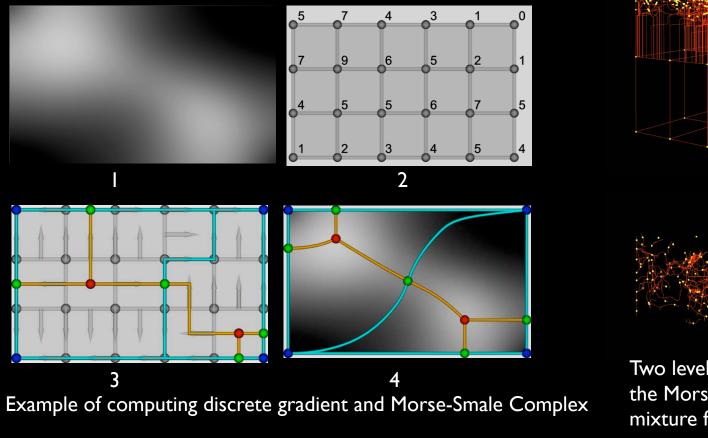
The average amount of information expressed by the random variable is

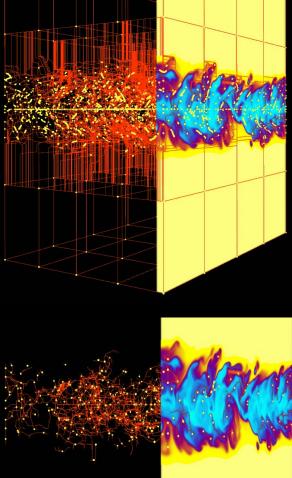
$$H(x) = -\sum_{i=1} p_i \log p_i$$

# Parallel Topological Analysis

Collaboration with SCI Institute, University of Utah

Transform discrete scalar field into Morse-Smale complex
Nodes are minima, maxima, saddle points of scalar values
Arcs represent constant-sign gradient flow
Used to quickly see topological structure

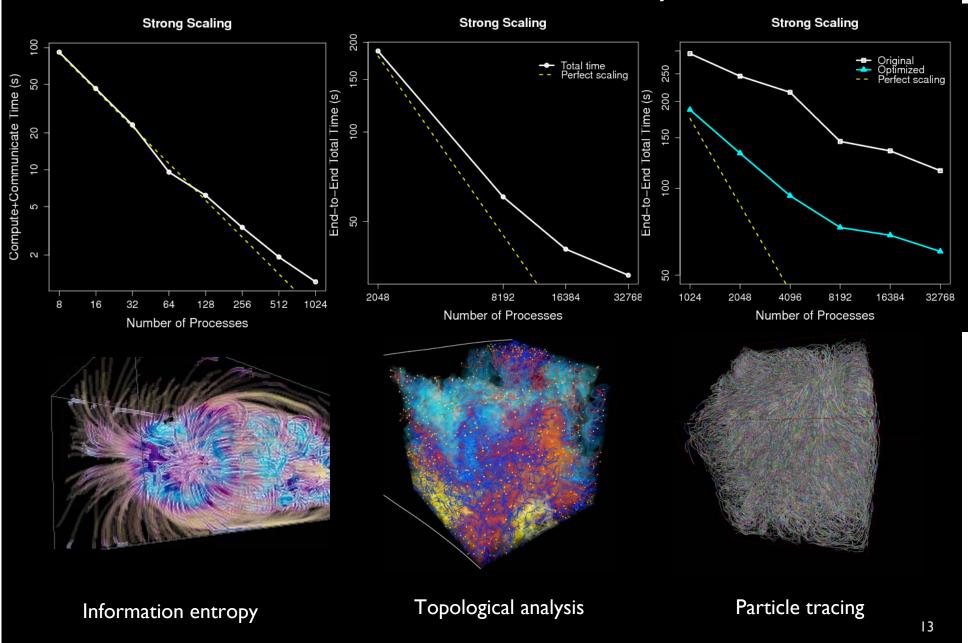




Two levels of simplification of the Morse-Smale complex for jet mixture fraction.

Gyulassy et al., The Parallel Computation of Morse-Smale Complexes, Submitted to IPDPS '12

### Performance and Scalability



## Summary

### Main ideas

-Scalable analysis is about moving, transforming, reducing, analyzing, storing data -Scientists, researchers take ownership of their own analysis

#### Successes

-Supports numerous, diverse analysis techniques

-Enables serial algorithms to be parallelized

- -Flexible combination of data movements
- -Both postprocessing and in situ

-Efficient and scalable

#### Limitations

-Requires effort on the part of the user -Needs a program and (expert?) programmer

### Ongoing

Finish installing existing code for swap-based reduction AMR, unstructured, particle decomposition Hybrid parallelism?





"The purpose of computing is insight, not numbers."

-Richard Hamming, 1962

#### Acknowledgments:

Facilities Argonne Leadership Computing Facility (ALCF) Oak Ridge National Center for Computational Sciences (NCCS)

> Funding DOE SciDAC UltraVis Institute DOE SDMAV Exascale Initiative ANL LDRD

https://svn.mcs.anl.gov/repos/diy/trunk

Tom Peterka

tpeterka@mcs.anl.gov

Mathematics and Computer Science Division

LDAV'II Symposium 10/24/11